

EECS3342 System Specification and Refinement
(Winter 2022)

Q&A - Week 4 Lecture

Thursday, February 10

Announcements

- Written Test 2 next Tuesday
- Revised Written Test 2 start time
- Example questions for Written Test 2

- Lecture W5 postponed

Lab 1

1. How inv. preservation PO is formulated.
2. To describe such POs, what event guards are needed?

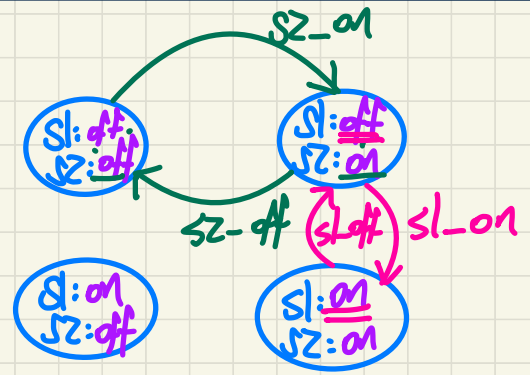
reduced intensity
1. fewer questions

or
2. same # but easier

Is there any **state space** for which it is possible to generate JUnit test cases?
 i.e., is there any state space that does not have **combinatorial explosion**?

Example 1: **Exhaustive Testing**

- + sensor_1 : {on, off}
- + sensor_2 : {on, off}

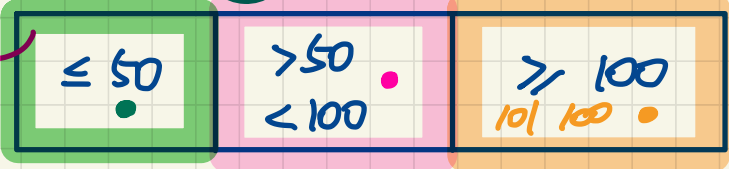


Example 2: **Equivalence Classes**

- + counter: INT $\rightarrow 2^{32}$
- + inc when counter < 100 then counter := counter + 1 end
- + dec when counter > 50 then counter := counter - 1 end

these two values can partition the state space into 3 classes of values

exhaustive testing
 1. infeasible
 2. unnecessary



state space
 Counter: INT

When applying the MON inference rule, how do we decide what hypotheses to drop?

1. Look at the goal.
 2. Picture how the goal should be ultimately proved.

Discharging **POs** of revised m0: **Invariant Preservation**

ML_out/inv0_1/INV

~~$d \in \mathbb{N}$~~
 $n \in \mathbb{N}$
 ~~$n \leq d$~~
 ~~$n < d$~~
 \vdash
 $n+1 \in \mathbb{N}$

MON

$n \in \mathbb{N}$
 \vdash
 $n+1 \in \mathbb{N}$

P2

→ only var. n is relevant

ML_in/inv0_1/INV

$d \in \mathbb{N}$
 $n \in \mathbb{N}$
 $n \leq d$
 $n > 0$
 \vdash
 $n-1 \in \mathbb{N}$

MON

$n > 0$
 \vdash
 $n-1 \in \mathbb{N}$

P2'

ML_out/inv0_2/INV

$d \in \mathbb{N}$
 $n \in \mathbb{N}$
 $n \leq d$
 $n < d$
 \vdash
 $n+1 \leq d$

MON

$n < d$
 \vdash
 $n+1 \leq d$

INV

ML_in/inv0_2/INV

$d \in \mathbb{N}$
 $n \in \mathbb{N}$
 $n \leq d$
 $n > 0$
 \vdash
 $n-1 \leq d$

MON

$n \leq d$
 \vdash
 $n-1 \leq d$

OR-RI

$n \leq d$
 \vdash
 $n-1 < d$

DEC

Iterative process:
 if the proof gets stuck,
 go back to see if some useful hypotheses were dropped

$n-1 < d \vee n-1 = d$